## NOTES AND ERRATA

## VOLUME 8

## G. A. MILLER: Generalization of the groups of genus zero.

The theorems in italics on pages 12 and 13 should read as follows: There are exactly six non-abelian groups whose two generators  $s_1$ ,  $s_2$  satisfy the equations  $s_1^3 = s_2^5$ ,  $(s_1 s_2)^2 = 1$ . They are a group of order 60.32 = 1920 and the direct products of the icosahedron group and the cyclic group of order  $2^a$ ,  $\alpha = 0, 1, 2, 3, 4$ .

There are exactly six non-abelian groups whose two generators  $s_1$ ,  $s_2$  satisfy the equations  $s_1^2 = s_2^3$ ,  $(s_1 s_2)^5 = 1$ . They are the icosahedron group,  $G_{120}$ , and the direct products of these groups and the cyclic groups of orders 5 and 25.

In the published theorem corresponding to the former of these two, the group of order 1920 was omitted owing to the incorrect conclusion that the order of  $t_2$  could not be 160. The error which is corrected in the second of these theorems resulted from a mistake in the formula below the middle of page 12, which should read

$$(\,t_2^{-4}\,t_1^{\,}t_2^{4}\,t_1^{-1}\,)^{\scriptscriptstyle n}=t_2^{\scriptscriptstyle 2}(\,t_1^{\,}t_2^{\scriptscriptstyle 3}\,)^{\scriptscriptstyle n}\,t_2^{\scriptscriptstyle 3}\,s_2^{-9\,{\scriptscriptstyle n}}\,.$$

In the published formula the last exponent was erroneously given as -12n. It should also be added that the theorems of this paper relate to non-abelian groups only, as the cases where the operators are commutative are so evident as to appear almost trivial. The restriction to non-abelian groups, however, should have been stated distinctly, but this was not done.

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E. Kasner: Natural families of trajectories.

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